# Pricing and Costing For Final Products 




## Contents

What is efficient price?
Price Floor
Price Ceiling

## Efficient Price - costs and demand

Costs alone are not sufficient
Correct prices may not be sustainable due to changing nature of demand

## Price floor and Price ceiling

Sufficient to regulate the firms
Price floor to prevent predation
Price ceiling to protect consumers
Price ceilings are preferred to profit ceiling

## Price floor and Price ceiling

## Profit ceilings are difficult due to

1. The dynamics of competitive market

Impossible to calculate the correct rate of return (profit)
2. The average long-run economic profits (including a return to capital) are zero in the competitive market
3. Innovative firms will receive a return above normal incentive

## Price ceilings and floors based on cost

1. Marginal cost ( $1^{\text {st }}$ best) is a legitimate floor, but does not cover fixed cost: one additional unit of a product
MC can be applied to a firm whether the firm produces only one product or multiple products
2. Stand-Alone cost is the total cost (not one unit) incurred by an efficient entrant to the industry that decides to produce only specified set of commodities
$\mathrm{SAC}_{\mathrm{yz}}=\mathrm{TC}(0, \mathrm{y}, \mathrm{z})$
SAC is relevant for price ceiling

## Price ceilings and floors based on cost

3. $\mathrm{IC}_{\mathrm{x}}=\mathrm{TC}(\mathrm{x}, \mathrm{y}, \mathrm{z})-\mathrm{TC}(0, \mathrm{y}, \mathrm{z})$ : total output (not one unit) of relevant product, i.e., product specific total cost

$$
\mathrm{AIC}_{\mathrm{x}}=[\mathrm{TC}(\mathrm{x}, \mathrm{y}, \mathrm{z})-\mathrm{TC}(0, \mathrm{y}, \mathrm{z})] / \mathrm{x}
$$

AIC covers product specific fixed cost and is a legitimate floor AIC is average of the MCs of all units supplied

## Price ceilings and floors based on cost

Example

- Product A, B
- Cost of common infrastructure facility: $\mathrm{CC}=\mathrm{F}$
- Product specific cost of $A, B: C_{A}, C_{B}$
- Total production cost: $\mathrm{TC}=\mathrm{F}+\mathrm{C}_{\mathrm{A}}+\mathrm{C}_{\mathrm{B}}$
- Total production cost without producing $\mathrm{A}: \mathrm{SAC}_{\mathrm{B}}=\mathrm{F}+\mathrm{C}_{\mathrm{B}}$


## Price ceilings and floors based on cost

- LRIC $_{\mathrm{A}}=\mathrm{TC}-\mathrm{SAC}_{\mathrm{B}}=\mathrm{C}_{\mathrm{A}}$

Long-run is the period of time such that all costs, including those costs that are fixed in the short run, can be treated as variable cost

## Correct Pricing Floor

Single product case: Max (MC, AIC)
When AIC is decreasing
MC will not cover fixed cost of production
AIC, average of the MC of all units, will When AIC is increasing

MC > AIC



## Correct Pricing Floor

Multi-product Case
Most products are produced with some common cost elements
A combined incremental cost and revenue floor
$R(x)+R(y) \geq C(x, y)+\operatorname{AIC}_{x}+$ AIC $_{y}$
C(x,y): common fixed cost
Fixed cost of each product is included in the AIC

## Price Ceiling

Contestability is the guide for determining the upper limit of prices
Ceiling Price $\leq$ SAC $_{x}$ of single product SAC can be calculated indirectly with the IC

$$
\begin{aligned}
\mathrm{IC}_{\mathrm{x}} & =\mathrm{TC}(\mathrm{x}, \mathrm{y}, \mathrm{z})-\mathrm{TC}(0, \mathrm{y}, \mathrm{z}) \\
& =\mathrm{TC}(\mathrm{x}, \mathrm{y}, \mathrm{z})-\mathrm{SAC}_{\mathrm{yz}}
\end{aligned}
$$

For two complementary subsets S1 and S2, i.e., $\mathrm{S}=\mathrm{S} 1+\mathrm{S} 2$

$$
\begin{aligned}
& \mathrm{SAC}_{\mathrm{S} 1}=\mathrm{TC}(\mathrm{~S})-\mathrm{IC}_{\mathrm{S} 2} \\
& \mathrm{IC}_{\mathrm{S} 2}=\mathrm{TC}(\mathrm{~S})-\mathrm{SAC}_{\mathrm{S} 1}
\end{aligned}
$$

## Price Ceiling

## One Test or Two for floors and ceilings?

If a regulated firm passes the combinatorial pricefloor tests and earns no more than competitive profits, then the price-ceiling tests must be automatically be passed

## Price Ceiling

Price-cap
A version of price ceiling first implemented in Britain Initiated by determination of the SAC Prices are allowed to change periodically
by no more than the Consumers Price Index (CPI)
less the rate of productivity growth
Price-cap may not be as efficient as Ramsey pricing But it is simple, and adjustable to the continuous changes in the market

## Summary

Price Floor and ceiling for regulation
Price Floor
Single product case: Max (MC, AIC)
Multi-product Case:

$$
\mathrm{R}(\mathrm{x})+\mathrm{R}(\mathrm{y}) \geq \mathrm{C}(\mathrm{x}, \mathrm{y})+\mathrm{AIC}_{\mathrm{x}}+\mathrm{AIC}_{\mathrm{y}}
$$

Price Ceiling
$\mathrm{SAC}\left(\mathrm{SAC}_{\mathrm{S} 1}=\mathrm{TC}(\mathrm{S})-\mathrm{IC}_{\mathrm{S} 2}\right)$
SAC $+\Delta \mathrm{CPI}-\mathrm{X}$

